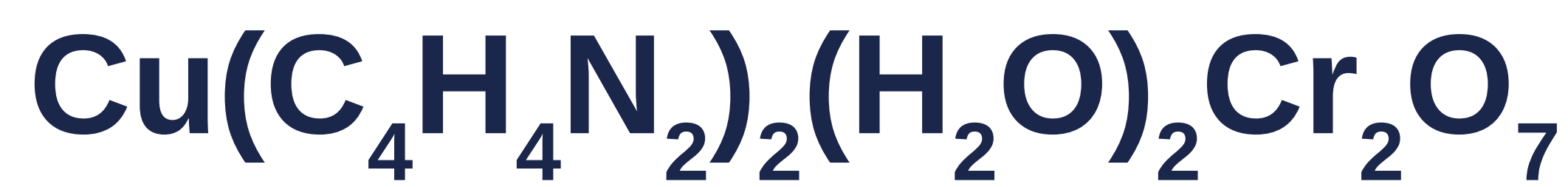


2D magnetism in the metal-organic framework

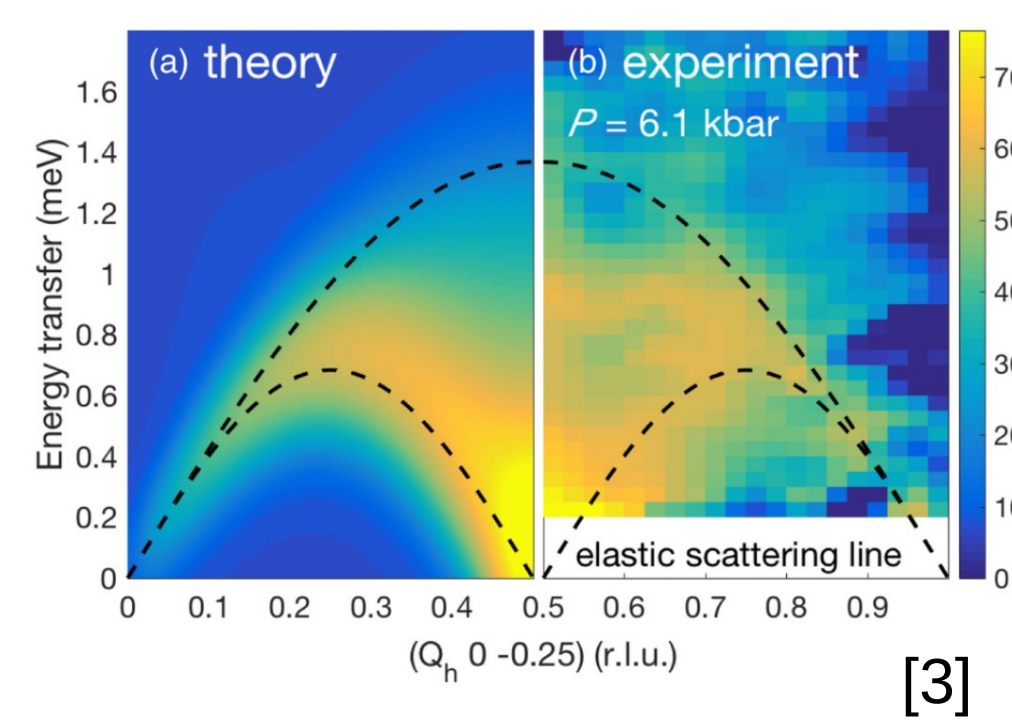
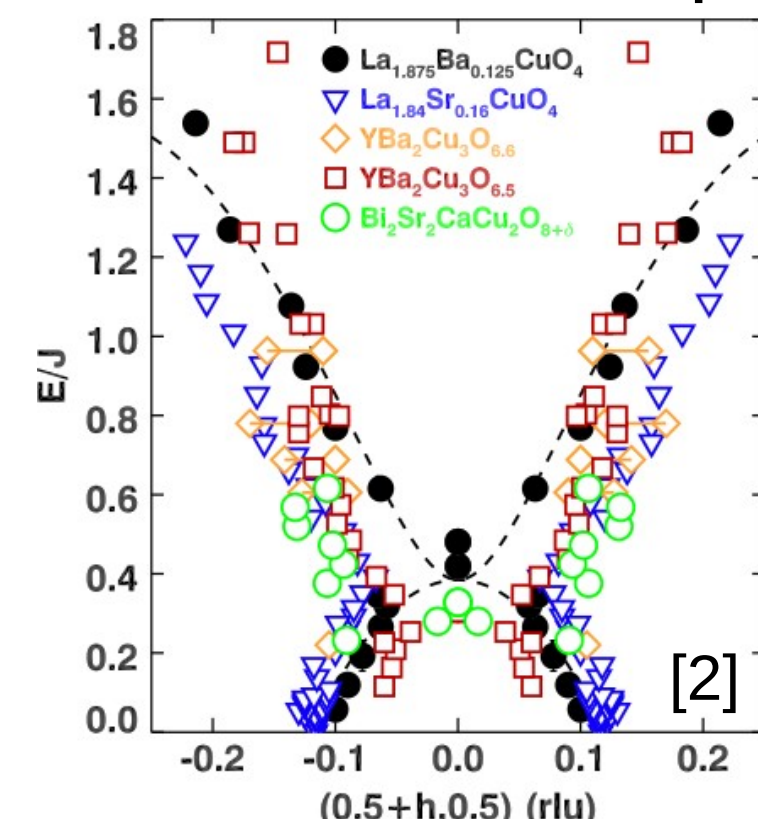
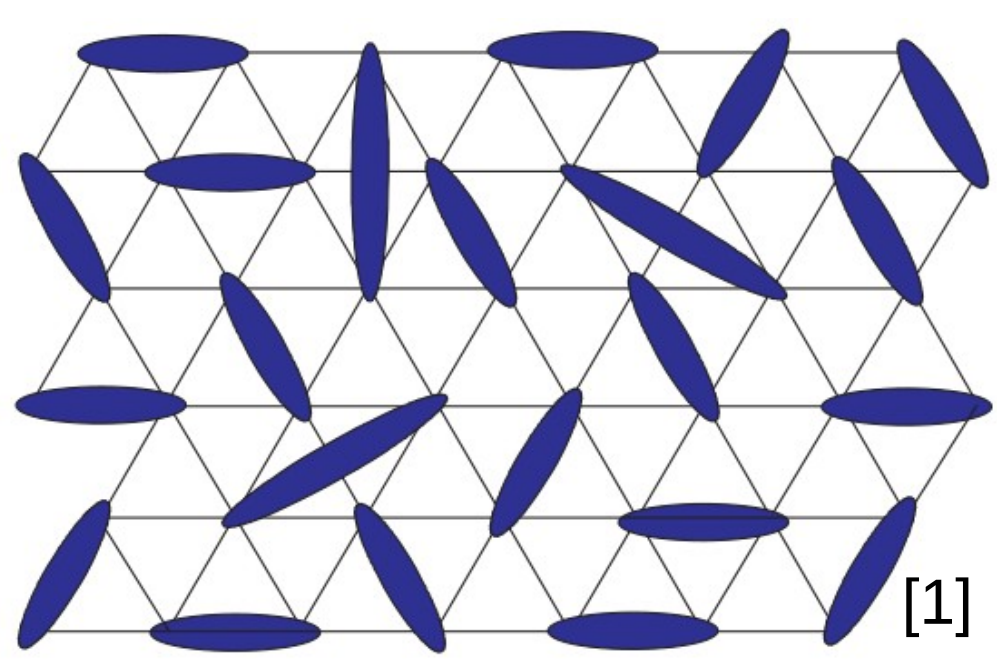


¹ Lukas Beddrich and ¹ Markos Skoulatos

¹ Research Neutron Source Heinz Maier-Leibnitz (FRM II) | TU München

1. Why study low-dimensional magnetism?

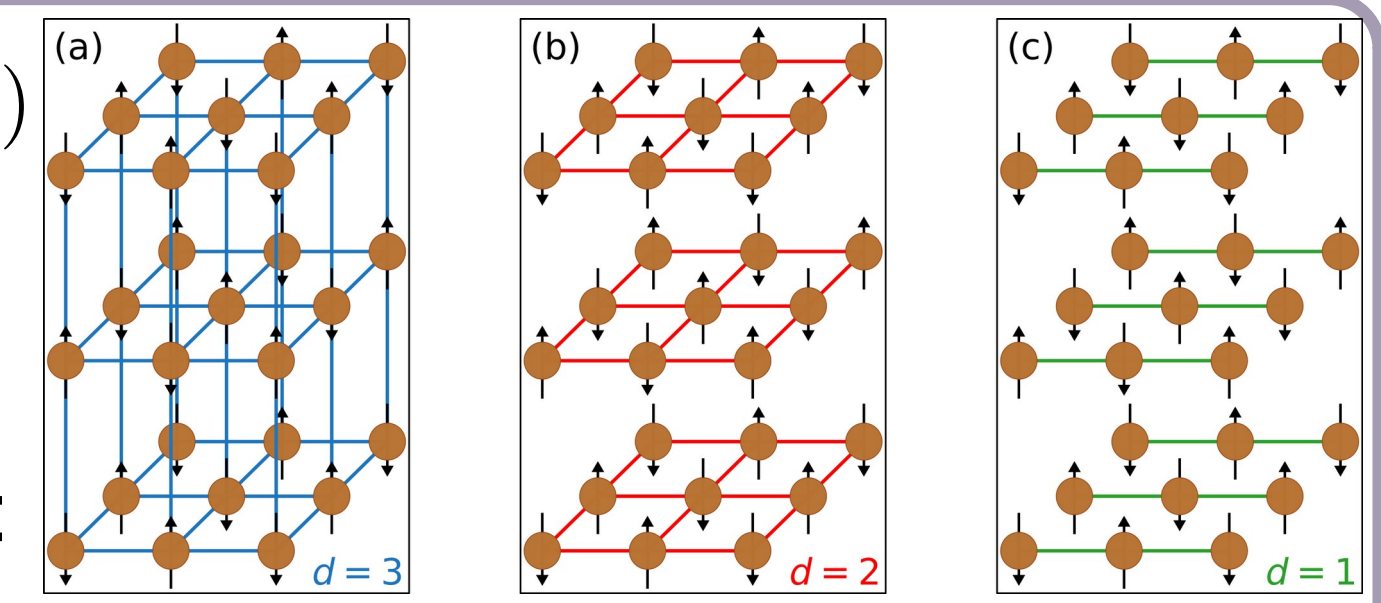
- Frustrated magnets
 - Quantum spin liquid
- High- T_c superconductivity
 - Fe-Pnictides
 - Cuprates
- Fractional excitations
 - 1D spinon continuum



2. Introduction to low-dimensional magnetism

$$H = - \sum_{i,j} (J_x S_{ix} S_{jx} + J_y S_{iy} S_{jy} + J_z S_{iz} S_{jz})$$

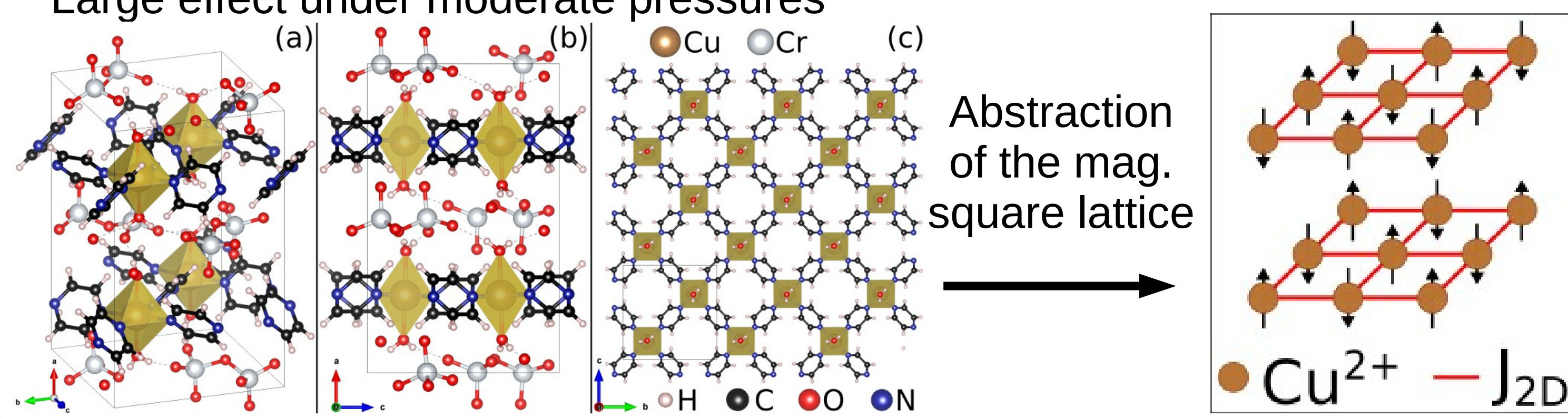
- Two ways to be low dimensional: lattice (d) and spin (s)
- Dimensionality fundamentally influences:
 - Phase transitions
 - Ground state
 - Excitations



Spin-dimensionality	Interaction	Model
$n = 1: S_z^2$	J_z	Ising
$n = 2: S_x^2 + S_y^2$	$J_x = J_y$ $J_x = 0; J_y$	Planar Planar Ising
$n = 3: S_x^2 + S_y^2 + S_z^2$	$J_x = J_y = J_z$ $J_z = 0; J_x = J_y$ $J_x = J_y = 0; J_z$	Heisenberg XY Z

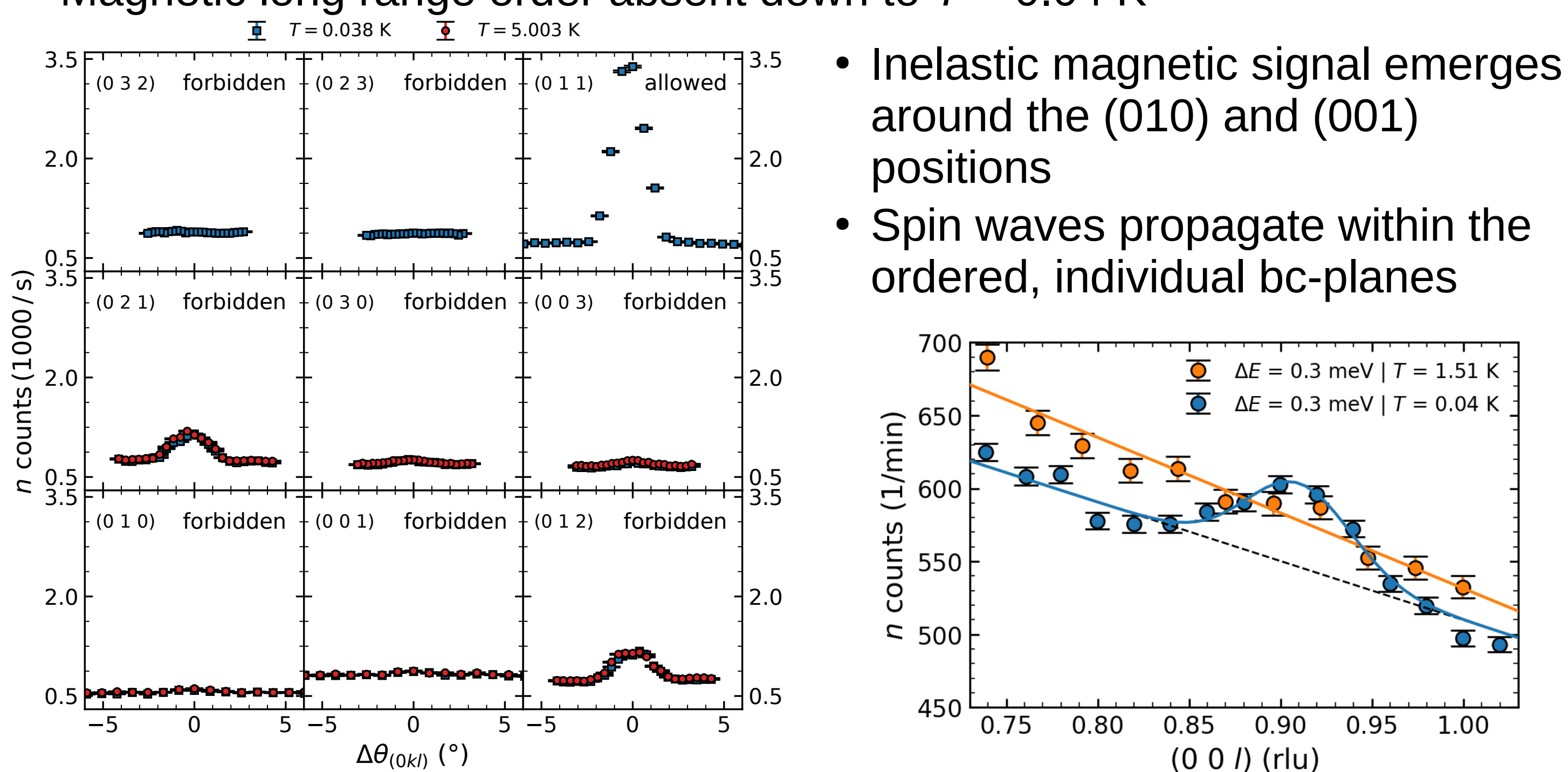
3. Cu-pyz a metal-organic model system

- Metal-organic compounds (MOC): A versatile platform for low-d magnetism
- Coordinate mag. ions with neutral ligands and countering anionic complexes
 - $\text{Cu}(\text{C}_4\text{H}_4\text{N}_2)_2(\text{H}_2\text{O})_2\text{Cr}_2\text{O}_7$ (Cu-pyz) [5]
- MOCs are susceptible to pressure and allow tuning of mag. Interactions
 - High compressibility due to organic constituents
 - Anisotropic deformation due to different coordinating ligands
- Large effect under moderate pressures

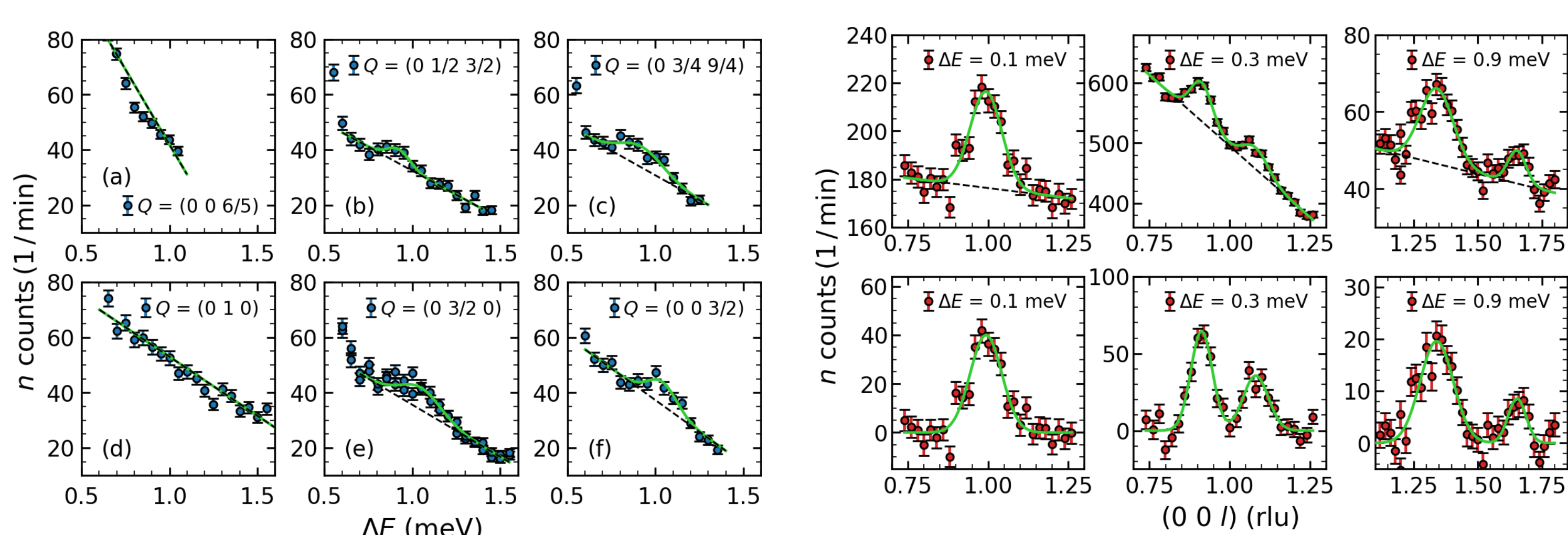


5. Neutron scattering – Emergent spin waves

- No magnetic Bragg scattering observed at integer and half-integer positions
- Magnetic long range order absent down to $T = 0.04$ K

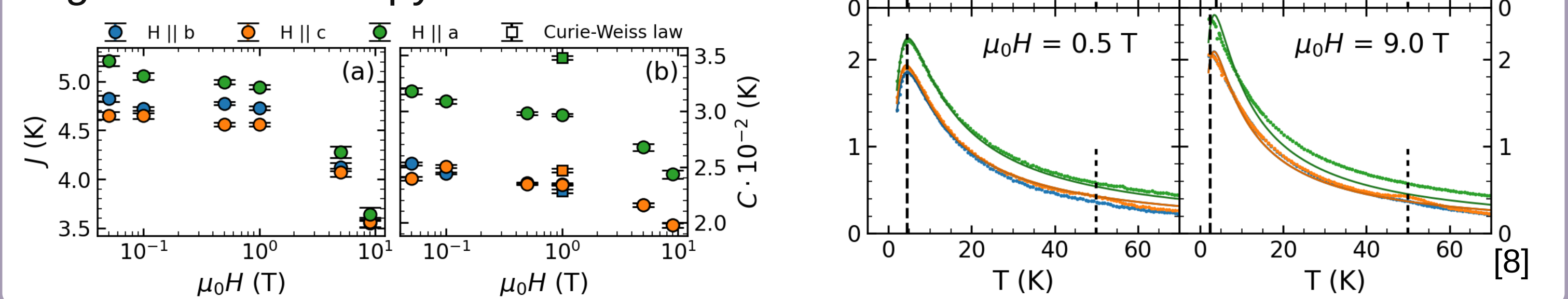


- Mapping spin wave dispersion in $[010] \times [001]$ scattering plane at IN12 (ILL)
 - Constant- Q scans
 - Constant- E scans



4. Static susceptibility – Signature of 2D AFM

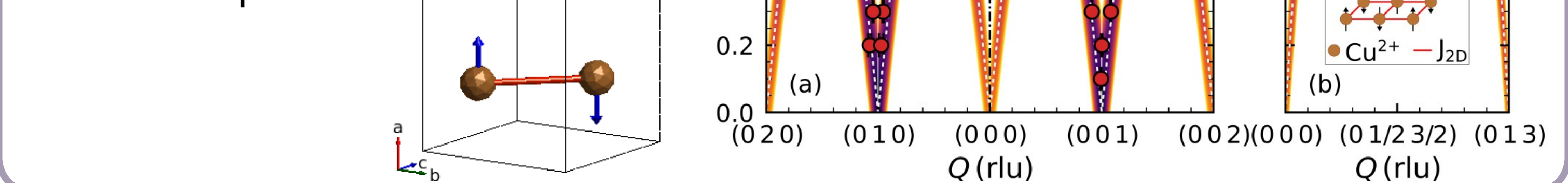
- Broad peak corresponds to intralayer exchange coupling strength J_{2D}
- Fit Padé approximation for a 2D AFM square lattice [6] $\rightarrow J_{2D} \approx 0.5$ meV
- No sign of mag. LRO below $T < 2$ K
- Good realization of a 2D magnet [7]
- Octahedral constituents introduce g -factor anisotropy



6. Modeling the spin wave dispersion

- Model building and calculation of spin wave dispersion using *spinW* [9]
- Initial model parameters

- AFM exchange $J_{2D} = 0.5$ meV between next neighbors
- Magnetic structure compatible with putative mag. zone centers (010) and (001)
- No out-of-plane coupling $J_{\perp} = 0$ meV
- $S = 1/2$ for each Cu^{2+} ion
- Fitting the dispersion yields $J_{2D} = 0.52(3)$ meV
- Magnetic structure consistent with measured spin wave dispersion:



7. Conclusion

- Susceptibility and magnetization agrees well with the model of a 2D quantum Heisenberg antiferromagnet
- Magnetic long range order is absent down to $T = 0.038$ K
- Spin wave dispersion refines the exchange constant: $J_{2D} = 0.52(3)$ meV and suggests G-type AFM order

8. References

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